

## ENERGY SYSTEMS 424

Glover and Sarma Power System Analysis and Design 5<sup>th</sup> Edition

Course Notes - 2017

6. Power flows	
Section	Remarks
6.1 Direct solutions to linear algebraic equations: Gauss elimination	<b>Cover completely.</b> Apply Gauss elimination and back substitution to solve a linear matrix equation in upper triangular format: Examples 6.1 and Example 6.2.
6.2 Iterative solutions to linear algebraic equations: Jacobi and Gauss-Seidel	<b>Cover completely, except for example 6.5 and the theory on divergence on page 320.</b> Use the Jacobi method to obtain an iterative solution to a set of linear algebraic equations: Example 6.3. Use the Gauss-Seidel method to obtain an iterative solution to a set of linear algebraic equations: Example 6.4
6.3 Iterative solutions to nonlinear algebraic equations: Newton-Raphson	<b>Cover completely.</b> Use the Newton-Raphson method to solve polynomial equations iteratively: Example 6.6. Use the Newton-Raphson method to solve a set of nonlinear algebraic equations iteratively: Examples 6.7 and 6.8.
6.4 The power-flow problem	<b>Cover completely.</b> Identify bus types and assign input/output data for power flow analysis of a network: Example 6.9. Compute the elements of the admittance matrix $Y_{bus}$ of a network: Example 6.9. Deduce the nonlinear power flow equations given by equations 6.4.10 and 6.4.11.
6.5 Power-flow solution by Gauss-Seidel	<b>Cover completely.</b> Use the Gauss-Seidel method (equations 6.5.2 and 6.5.3) to calculate the bus voltages for a network: Example 6.10.

6.6	Power-flow solution by Newton-Raphson	<b>Cover up to Example 6.11.</b> Compute the bus voltages for a power system using the four-step (pg. 336) Newton-Raphson method: Example 6.11
6.7	Control of Power Flow	<b>Cover up to (not including) Example 6.14.</b>
<b>7 Symmetrical faults</b>		
<b>Section</b>		<b>Remarks</b>
7.1	Series R-L circuit transients	<b>Cover completely.</b> Deduce the time domain equations (7.1.3 – 7.1.12) for the transient responses of a series RL circuit. Calculate the transient current responses of a series RL circuit: Example 7.1.
7.3	Power system three-phase short circuits	<b>Cover completely.</b> Use the superposition method to calculate the fault current and current distribution for a three-phase fault in a symmetrical power system: Example 7.3
7.4	Bus impedance matrix	<b>Cover up to (not including) example 7.5.</b> Obtain the bus impedance matrix $Z_{bus}$ of a network from the inverse of the bus admittance matrix $Y_{bus}$ . Calculate the fault current and bus voltages of a network for a three-phase fault, using the bus impedance matrix of the system: Example 7.4. Represent a network by a bus equivalent (rake equivalent) circuit .
<b>9 Unsymmetrical faults</b>		
<b>Section</b>		<b>Remarks</b>

9.1	System representation	<p><b>Cover completely.</b></p> <p>Know the assumptions on which the sequence network representations of a power system are based.</p> <p>Deduce the sequence networks and the associated Thevenin equivalent circuits for a power system network: Example 9.1</p> <p>Calculate the fault currents for a three-phase fault using sequence networks: Example 9.2.</p>
9.2	Single line-to-ground fault	<p><b>Cover completely.</b></p> <p>Use sequence networks to calculate the phase currents and phase voltages at the fault for a single line-to-ground fault: Example 9.3.</p>
9.3	Line-to-line fault	<p><b>Cover completely.</b></p> <p>Use sequence networks to calculate the phase currents and phase voltages at the fault for a line-to-line fault: Example 9.4.</p>
9.4	Double line-to-ground fault	<p><b>Cover completely up to (not including) example 9.6.</b></p> <p>Use sequence networks to calculate the phase currents and phase voltages at the fault for a double line-to-ground fault: Example 9.5.</p>
<b>10 System protection</b>		
<b>Section</b>		<b>Remarks</b>
10.1	System protection components	<b>Read through.</b>
10.2	Instrument transformers	<p><b>Cover up to example 10.2.</b></p> <p>Give the equivalent circuit of a CT.</p> <p>Evaluate the performance (calculate the CT error) of a CT as a function of secondary current: Example 10.1.</p> <p>Determine if a relay will operate for a specific CT and burden combination: Example 10.2.</p>

10.3 Overcurrent relays	<p><b>Cover completely.</b></p> <p>Understand the use of current tap and time-dial settings.</p> <p>Given the current tap setting, time-dial setting and operating current, calculate the relay operating time from the time curves: Example 10.3.</p>
10.4 Radial system protection	<p><b>Cover completely.</b></p> <p>Determine current tap and time-dial settings for overcurrent protection of a radial system: Example 10.4 .</p>
10.5 Reclosers and fuses	Read through.
10.8 Zones of protection	<p><b>Cover completely.</b></p> <p>Identify protection zones for a network and determine which breakers must open for a fault at a specific location: Example 10.7.</p>
10.10 Differential relays	<p><b>Cover completely.</b></p> <p>Deduce the equations (Eq. 10.10.4) for the operating region of a simple differential relay.</p>
10.11 Bus protection with differential relays	<p><b>Cover completely.</b></p> <p>Draw the differential protection system layout for typical bus.</p>
10.12 Transformer protection with differential relays	<p><b>Cover up to (not including) example 10.9.</b></p> <p>Sketch a differential protection system layout for a single-phase transformer: Figure 10.36.</p> <p>Sketch a differential protection system layout for a three-phase transformer: Figure 10.37.</p>
<b>11 Transient stability</b>	
<b>Section</b>	<b>Remarks</b>

11.1 The swing equation	<p><b>Cover completely.</b></p> <p>Deduce the swing equation in mechanical (eq. 11.1.10) &amp; electrical (eq. 11.1.16) format.</p> <p>First-order differential equation format of the swing equation: Eq. 11.1.18 and Eq. 11.1.19.</p> <p>Apply the swing equation to analyse the transient response of a single machine: Example 11.1</p> <p>Apply the swing equation to analyse the transient response of multiple coherent machines: Example 11.2</p>
11.2 Simplified synchronous machine model and system equivalents	<p><b>Cover completely.</b></p> <p>Power transfer equation between a synchronous machine &amp; infinite bus</p> <p>Simplified synchronous machine model for transient stability studies: Fig. 11.2</p> <p>Synchronous machine and power system representation for transient stability studies: Fig. 11.3</p> <p>Perform steady-state analysis to determine generator voltage and power angle for a given system: Example 11.3.</p>
11.3 The equal-area criterion	<p><b>Cover completely excluding 11.4, 11.5, 11.6 and 11.7.</b></p> <p>Deduce the equal-area criterion: Equation 11.3.5.</p> <p>Apply the equal-area criterion to perform transient stability analysis of power systems: Examples 11.4, 11.5 and 11.6</p>
11.6 Design methods for improving transient stability	Read through
<b>11 Power System Controls</b>	
11.1 Generator-voltage control	<b>Cover completely.</b>
11.2 Turbine-governor control	<b>Cover completely.</b>

11.3 Load-frequency control

**Cover completely.**